# A Waste Heat Recovery System with a Different Internal Component: Energy Transfer and Heat Use

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#### Abstract

Energy use in the steel industry is significant, and recovering waste heat is essential for efficient energy use. The efficiency of gas-solid heat transfer and energy utilisation with different pipeline arrangements, pipe diameters, and internal component shapes is further investigated in this study. Pipeline bundles are used in waste heat recovery devices to improve heat transmission. The temperatures of the fuel and the particles in a device with a pipeline bundle change irregularly in a horizontal direction, and they are dispersed more uniformly in a staggered system than in a paralleled system. In comparison to paralleled devices, serially connected devices' exergy and waste heat utilisation efficiency has increased, and they are both higher than those without pipes. As pipe diameter increases, exergy and waste heat utilization ef-ficiency first increases and then decreases, and they reach the maxima with optimal pipe diameter. As the width of internal component keeps constant, influence of its shape on heat transfer is very little.

## **Keywords**

Waste Heat Recovery Device, Porous Media, Local Thermal Non-Equilibrium, Gas Solid Heat Transfer

# 1. Introduction

The steel industry has always been the top priority of national industry, and energy consumption of blast furnace steelmaking can reach 40% of total energy consumption in steel industry, 10% - 15% of total energy consumption in the country, belonging to high energy-consuming industry [1].

Shigaki et al. [2] rolled slag into a sheet and passed it into a packed bed for waste heat recovery, and they found that sensible heat recovery efficiency can be up to 43%. Hadley et al. [3] established a countercurrent packed bed heat transfer model, and obtained ratio of mass flow rate of gas and particles at lowest particle outlet temperature and highest gas outlet temperature through experimental research. South Korea's Posco proposed a waste heat recovery solution that pelletizes the slag and flows into heat exchanger through a slope, and waste heat utilization efficiency can be as high as 50% [4]. Liu et al. [5] [6] [7] built self-flow bed heat exchange device for indirect heat exchange between particles and water in a pipeline, and they found that smaller slag particle size and larger slag particle velocity had higher overall heat transfer coefficient and the waste heat recovery efficiency. Zhao et al. [8] compared sensible heat recovery efficiency of ring-type and vertical type waste heat recovery devices through exergy analysis method, and found that efficiency of vertical type of waste heat recovery device was significantly higher than ring type one. Dong et al. [9] studied effects of operating parameters and structural parameters on gas flow in vertical waste heat recovery device, and effects of parameters such as particle diameter on waste heat recovery efficiency and exergy were analyzed [10] [11] [12]. Chen et al. [13] founded that device height and gas-solid ratio in vertical device had a large effect on exergy, and its required air volume was much smaller than ring one. Fu et al. [14] performed numerical analysis on vertical device to obtain optimal operating conditions. In addition, Australian CSIRO [15] [16] used semi-industrialized equipment in slag waste heat recovery, and waste heat recovery rate can reach 50%. Rouaban et al. [17] studied recycling and utilization of slag in road construction in Algeria. Al-Baijat et al. [18] found that using slag can improve concrete properties.

At present, there are few studies on the influence of waste heat recovery device with different internal components on gas-solid heat transfer and waste heat utilization. In this paper, gas-solid heat transfer and waste heat utilization efficiency in waste heat recovery device with different pipeline arrangements, pipe diameter and shape of internal component is simulated. In addition, effects of inlet gas velocity, inlet gas temperature, particle diameter and particle porosity are further considered.

# 2. Physical Model and Validation Physical Model

The schematic diagram of waste heat recovery device is shown in **Figure 1**, and different pipe arrangements and shape of internal component are studied. The 2D model of waste heat recovery devices size is  $2.2 \times 3$  m. High temperature particle and cold gas exist countercurrent flow heat transfer. The gas-solid heat transfer is complex, so following assumptions are made:

1) The simulation process is steady state, and operating parameters are constant.

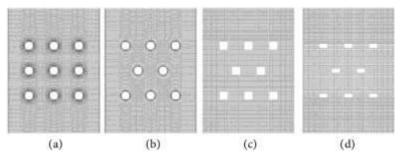


Figure 1. Waste heat recovery device with different internal components. (a) Paralleled; (b) Staggered; (c) Quadrate; (d) Rectangle.

- 2) Porous media model is used for simulation. Porous media is homogenous material, and the temperature of the particles is uniform.
- 3) Considering convection and heat conduction between particle and fluid in porous media, regardless of influence of radiation and heat loss.

# **Governing Equation**

Continuous equation:

$$\frac{\partial \rho u_i}{\partial x_i} = 0 \tag{1}$$

Momentum equation:

$$\frac{\partial}{\partial x} \left( \rho u u \right) = \frac{\partial}{\partial x} \left( \mu \frac{\partial u_k}{\partial x} \right) - \frac{\partial p}{\partial x} + \rho g + S_i$$
(2)

where  $\rho$  is density, kg/m<sup>3</sup>;  $u_i$  is flow velocity in *i* direction, m/s; *P* is pressure, Pa; *g* is acceleration of gravity, m/s<sup>2</sup>;  $S_i$  is momentum source term;  $\mu$  is viscosity, Pa·s.

When the porous medium model is used, the momentum source term is added

to the equation to add the effect of porous medium on the fluid.
$$S = -\left(\frac{\mu}{\alpha} \frac{u+1}{i} C \rho \frac{u}{i} \frac{u}{i}\right)$$
(3)

The viscous resistance coefficient and the inertia resistance coefficient can be expressed as [19]:

$$\frac{1}{\alpha} = \frac{150(1-\varepsilon)^2}{\varepsilon^3 d_p^2} \tag{4}$$

$$C_2 = \frac{3.5(1-\varepsilon)}{\varepsilon^3 d_n} \tag{5}$$

where  $\varepsilon$  is particle porosity;  $d_s$  is particle diameter, m.

The local thermal non-equilibrium:

$$\frac{\partial}{\partial x} \left( \rho^{s} c_{p,s} {\atop_{i}} {\atop_{i}} {\atop_{s}} \right) = \frac{\partial}{\partial x} \left| \gamma \left( 1 - \varepsilon \right) \lambda_{s} {\atop_{s}} \frac{\partial T}{\partial x_{s}} \right| - h \alpha \left( T - T \right)_{g}$$
 (6)

ermal non-equilibrium:
$$\frac{\partial}{\partial x} \left( \rho_{s} c_{p,s} \stackrel{u}{i} \stackrel{T}{s} \right) = \frac{\partial}{\partial x} \left| \left( 1 - \varepsilon \right) \lambda_{s} \stackrel{\partial T}{\partial x_{i}} \right| - h \alpha \left( T - T \right) \\
\frac{\partial}{\partial x_{i}} \left( \rho_{g} \stackrel{c}{c} \stackrel{u}{i} \stackrel{T}{s} \right) = \frac{\partial}{\partial x_{i}} \left( \varepsilon \lambda_{s} \stackrel{\partial T}{\partial x_{i}} \right) + h \alpha \left( T - T \right) \\
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where T is temperature, K;  $\lambda$  is thermal conductivity, W/(m·K); h and  $h_e$  are heat transfer coefficient and effective heat transfer coefficient, W/(m<sup>2</sup>·K);  $c_p$  is specific heat of particle, J/(kg·K); subscripts "s" and "g" represent particle and gas respec-

According to the Achenbach, the specific surface area can be expressed as [20]:

$$\alpha = \frac{6(1-\varepsilon)}{d_n} \tag{8}$$

Also consider the effect of the internal heat transfer of the particles on the overall heat transfer coefficient, the heat transfer coefficient is corrected. The effective heat transfer coefficient according to Jefferson can be expressed as [21]:

$$\frac{1}{h} = \frac{1}{h} \left( 1 + \frac{Bi}{5} \right) \beta^{2} \tag{9}$$

where Nu is used the association proposed by Ranz [22]:

$$Nu = \frac{hd_p}{k_p} = 2.0 + 0.6Re^{1/2}Pr^{13/2}$$
 (10)

The quantity of waste heat utilization is expressed as:

$$Q_{g} = q_{g,in} \left( c_{p,out} T_{g,out} - c_{p,in} T_{g,in} \right)$$

$$\tag{11}$$

The exergy of gas (Ex) is expressed as:

$$Ex = Q_g \cdot \left( 1 - \frac{T_0}{T - T} \ln \frac{T_{g,out}}{T} \right)$$

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The waste heat utilization efficiency  $(\eta)$  is expressed as:

$$\eta = \frac{\int_{T_{cont}}^{T_{s,in}} \rho_{s} c_{p,s} dT}{\int_{T_{cont}}^{T_{s,out}} \rho_{c} c_{d} dT}$$

$$(13)$$

where  $\beta$  is heat capacity ratio;  $T_0$  is ambient temperature, K; q is air mass flow rate,  $kg \cdot s^{-1}$ ; subscripts "in" and "out" represent the inlet and outlet.

The equations are solved by Fluent. The local thermal non-equilibrium energy equations are applied by UDF and UDS. The material density, specific heat and other parameters are set by UDF and Fluent database, grid is divided by ICEM, and pressure velocity coupling is solved by SIMPLE algorithm. The turbulence model adopts k- $\varepsilon$  model, and residual convergence criterion is less than  $10^{-6}$ .

The gas density is 1.225 kg/m<sup>3</sup>, air specific heat can be calculated by Equation (14); particle gas density is 2900 kg/m<sup>3</sup>, particle specific heat can be calculated by Equation (15).

$$c_{p,g} = 1908.911 + 7.054 \times 10^{-1} T_{g} + 1.67 \times 10^{-3} T_{g}^{2} - 1.225 \times 10^{-6} T_{g}^{3} + 3.080 \times 10^{-10} T_{g}^{4}$$
(14)  
$$c_{p,s} = 1014 + 6.21 \times 10^{-2} T_{g} - 0.347 \times 10^{8} T_{g}^{-2}$$
(15)

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(15)

#### **Model Validation**

This paper uses experiment of Feng [10] to verify the model. This paper studies

the heat recovery at steady state, and experimental results and simulation data are compared as **Table 1**. Experimental results have good agreement with simulation data with maximum deviation of 3.74%.

# 3. Results and Discussions

#### **Basic Heat and Mass Transfer Performance**

**Figure 2** presents temperature field in heat recovery device with different pipe arrangement. When there are pipelines, the flow changes, and then gas-solid heat transfer will be significantly enhanced. Compared with paralleled pipeline arrangement, the staggered arrangement can reduce the temperature heterogeneity, and heat transfer is expected to be enhanced better.

Temperature and velocity evolution in horizontal direction of paralleled device are shown in **Figure 3**. Due to the influence of pipeline distribution, gas velocity and temperature in horizontal direction periodically change. Below the pipeline, the velocity and temperature are lower, and the temperature difference between gas and particle are also lower.

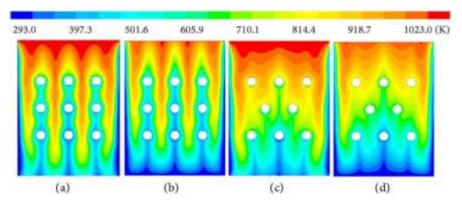
Temperature and velocity evolution in horizontal directions of staggered device are shown in **Figure 4**. The fluctuating amplitudes of gas velocity and temperature in staggered device are smaller than those of the paralleled one, and the period is decreased by half.

#### **Effect of Inlet Condition**

Figure 5 shows outlet gas and particle temperatures with different inlet gas

**Table 1.** Simulation and experimental comparison [10].

Experimental condition	Outlet particle temperature (K)			Outlet gas temperature (K)		
	Measured	Calculated	Relative error	Measured	Calculated	Relative error
condition 1	394	412	3.74%	795	784	-2.24%
condition 2	379	398	3.62%	748	735	-2.94%
condition 3	383	396	2.56%	756	744	-2.66%



**Figure 2.** Temperature field in heat recovery device with different pipe arrangement. (a) Air temperature; (b) Particle temperature; (c) Air temperature; (d) Particle temperature.

Figure 3. Temperature and velocity changes in horizontal directions of paralleled device (y = 1.25 m).

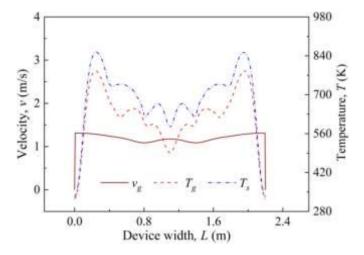
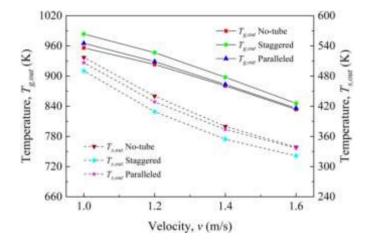


Figure 4. Temperature and velocity changes in horizontal directions of staggered device (y = 1.25 m).



**Figure 5.** Outlet gas and particle temperatures with different inlet gas velocity.

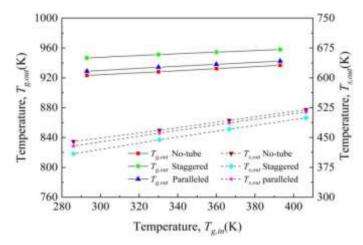
velocity in different devices. As inlet gas velocity increases, outlet gas temperature and outlet particle temperature drops. The increase of inlet gas velocity results in an increase in heat transfer coefficient, which leads to a decrease in outlet particle temperature. At the same time, larger mass flow rate of gas requires more energy, resulting in a decrease in outlet gas temperature.

**Figure 6** shows outlet gas and particle temperatures with different inlet gas temperatures. In general, outlet gas and particle temperatures have similar tendencies with different inlet gas temperatures. As inlet gas temperature is increased, inlet enthalpy of gas increases, and outlet temperatures of gas and particle almost linearly rise, and outlet particle temperature changes more quickly.

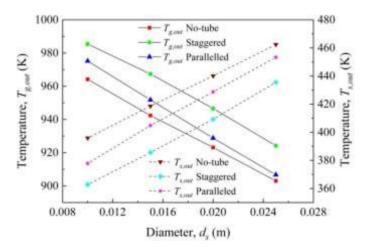
# **Effect of Particle Property**

#### **Particle Diameter**

**Figure 7** shows outlet gas and particle temperatures of the device with different particle diameters. As particle diameter is reduced, outlet gas temperature



**Figure 6.** Outlet gas and particle temperatures with different inlet gas temperatures.



**Figure 7.** Outlet gas and particle temperatures with different particle diameter.

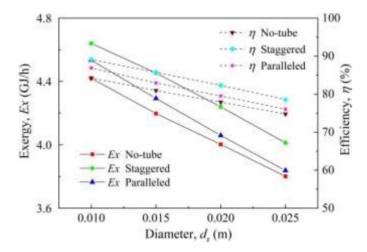
increases and outlet particle temperature decreases, because the reduction of particle size will increase effective heat transfer coefficient between gas and particle.

**Figure 8** presents exergy and waste heat utilization efficiency of the device with different particle diameter. As particle diameter decreases, exergy and waste heat utilization efficiency increase for sufficient gas-solid heat transfer.

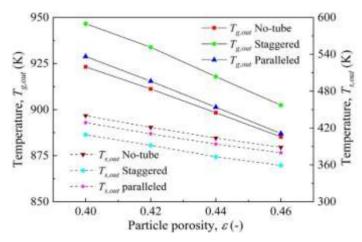
# **Particle Porosity**

**Figure 9** shows outlet gas and particle temperatures of the device with different particle porosity. Apparently, the increase in particle porosity reduces outlet gas temperature and outlet particle temperature. As particle porosity increases, particle density decreases, and the energy that particles can carry decreases, so outlet gas and particle temperatures decrease.

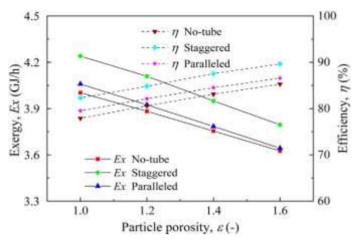
**Figure 10** shows the effect of particle porosity on exergy and waste heat utilization efficiency for different internal components. As the porosity increases, the



**Figure 8.** Effects of particle diameter on exergy and waste heat utilization efficiency.



**Figure 9.** Outlet gas and particle temperatures with different particle porosity.



**Figure 10.** Exergy and waste heat utilization efficiency with different particle porosity.

exergy decreases, and the waste heat utilization efficiency increases. It is shown that although particle porosity decrease can increase the exergy, it will also reduce the waste heat utilization efficiency. It is necessary to choose a reasonable value to use.

# **Effect of Internal Component**

# **Different Arrangement Effect**

Form Figure 2 and Figure 5, outlet gas temperature in staggered pipeline system is higher than that in paralleled one, and that without pipeline is lowest. As a result, heat transfer with staggered pipeline is best, because its temperature distribution is more uniform. Figure 11 presents exergy and waste heat utilization efficiency in device with different pipe arrangement. Similar to heat transfer performance, the exergy and waste heat utilization efficiency of staggered pipeline system is higher than that in paralleled one, and that without pipeline is lowest.

### **Different Pipe Diameter**

**Figure 12** shows exergy and waste heat utilization efficiency in device with different pipe diameter, where  $v_{g,in} = 1.2$  m/s. As pipe diameter increases, exergy and waste heat utilization efficiency first increases and then decreases. As pipe diameter is 0.15 m, exergy and waste heat utilization efficiency reach the maxima of 4.26 GJ/h and 82.5%.

#### **Different Shape of Internal Component**

**Figure 13** presents temperature fields in devices with different shape of internal component and identical width. As can be seen from **Figure 13**, the temperature fields are very similar with different shape of component.

**Figure 14** presents outlet gas and particle temperatures of device with different shape of internal component. For different shape of internal component, the outlet gas and particles temperature changes very little, and exergy and waste

**Figure 11.** Exergy and waste heat utilization efficiency in device with different pipe arrangement.

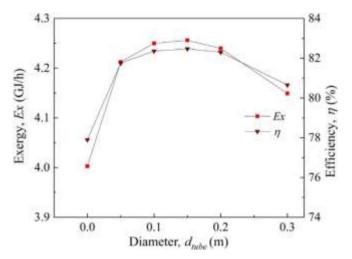
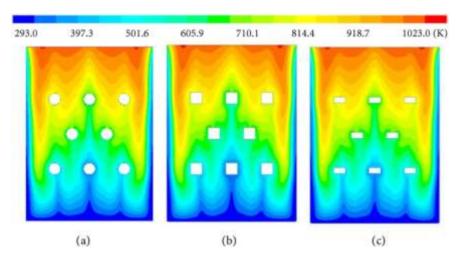
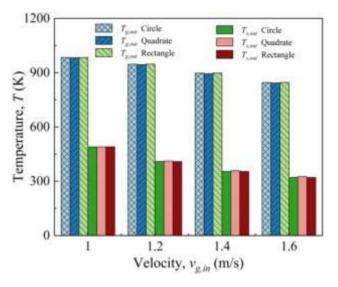


Figure 12. Exergy and waste heat utilization efficiency in device with different pipe diameter (v = 1.2 m/s).



**Figure 13.** Temperature fields in device with different shapes of component. (a) Circle component; (b) Quadrate component; (c) Rectangle component.



**Figure 14.** Outlet gas and particle temperatures of device with different shape of internal component.

heat utilization efficiency also keeps almost constant.

#### 4. Conclusions

Following simulation and analysis of the heat transfer and energy utilisation behaviour in waste heat recovery devices with various pipeline configurations, pipe diameters, and internal component shapes, the following results are drawn:.

In waste heat recovery device with pipeline bundle, gas velocity and temperature in horizontal direction periodically change. Compared with paralleled arrangement, the system with staggered arrangement has more uniform temperature distribution and higher outlet gas temperature.

- 1) By using pipeline bundle, gas-solid heat transfer and energy utilization can be significantly enhanced. The exergy and waste heat utilization efficiency of staggered pipeline system is higher than that in paralleled one, and that without pipeline is lowest.
- 2) As pipe diameter increases, exergy and waste heat utilization efficiency first increases and then decreases, and they reach the maxima with optimal pipe diameter. The shape of internal component with identical width has little effect on exergy and waste heat utilization efficiency.
- 3) As inlet gas temperature or particle diameter increases, exergy and waste heat utilization efficiency decreases; as particle porosity increases, exergy decreases, and waste heat utilization efficiency increases; as inlet gas velocity increases, exergy increases first and then decreases, and waste heat utilization efficiency increases all the time.

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